

## Clarify the Customer's Requirements

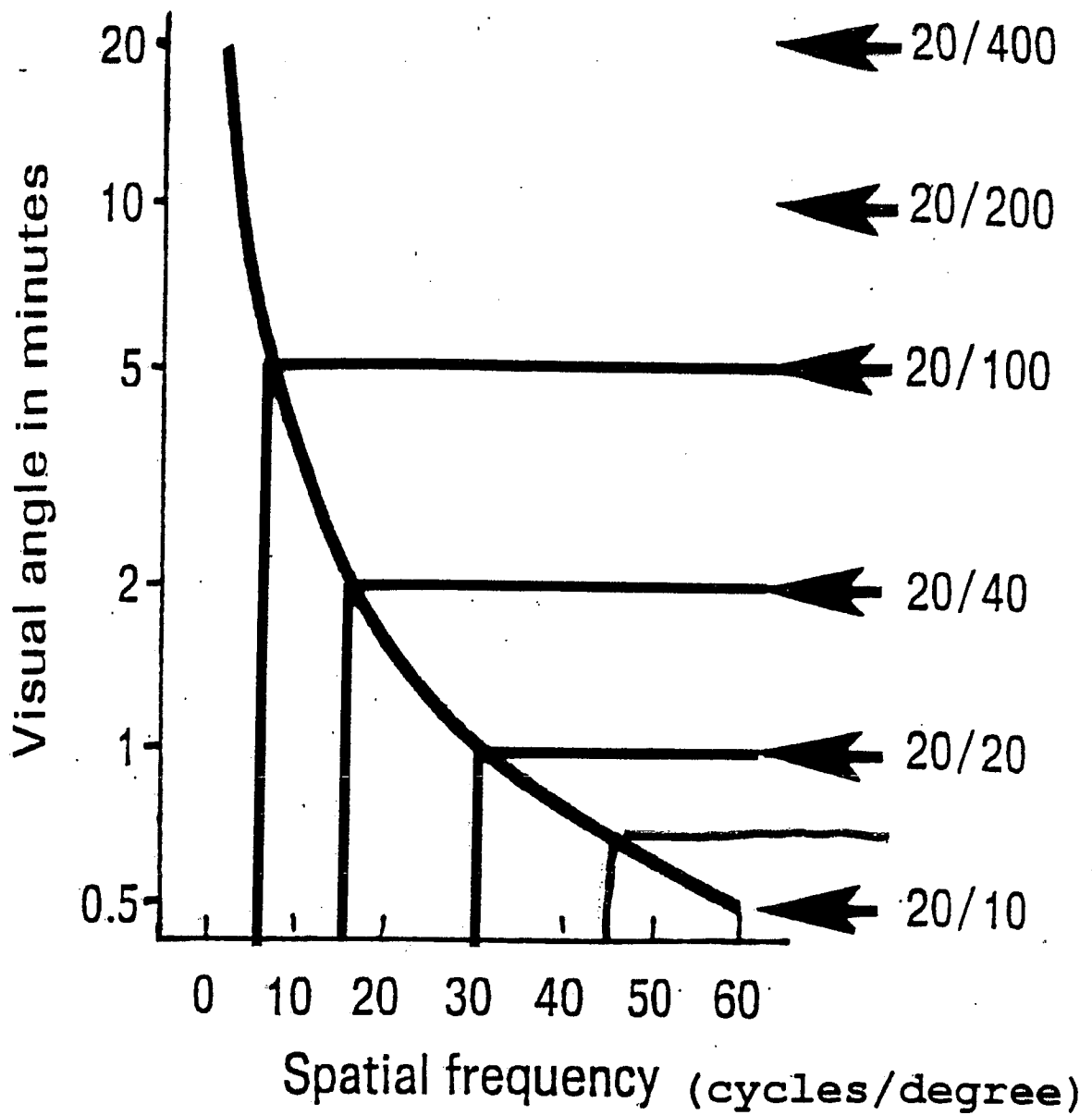
- Snellen Acuity Chart  
- 20/15 VA

- Convert to Angular Measure  
- 45 cycles/degree

- Convert to Linear Measure  
- 150 line pairs/millimeter  
(for 20.0 D IOL)

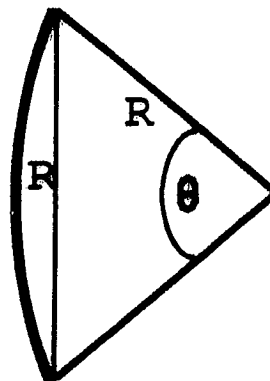
- Convert to Resolution Efficiency  
- 48% RE

- Convert to Group Element #  
- USAF target 4 - 1



**Figure 2. Relationship between Snellen Acuity (or visual angle) and spatial frequency.**

Radius R  
 can be equal to  
 the effective focal  
 length of the eye,  
 about 17 mm.



$$\theta = 1 \text{ radian} = 57.3 \text{ degrees}$$

$$1 \text{ cycle/degree} = 57.3 \text{ cycles/radian.}$$

$$1 \text{ cycle/mm} = R \text{ cycles/radian}$$

$$R \text{ mm/radian} = 1 \text{ (cycle/cycles)}$$

$$R \text{ mm}/57.3 \text{ degrees} = \text{conversion factor}$$

$$\text{for } R = 17 \text{ mm}$$

$$\frac{17 \text{ mm}}{57.3 \text{ degrees}} = 0.3 \text{ mm/degree}$$

which is the conversion factor between  
 cycles/mm and cycles/degree  
 for the Gullstrand Eye model.

Examples:

$$17 \text{ cycles/mm} \times 0.3 \text{ mm/degree} = 5.1 \text{ cycles/degree} = 20/100$$

$$33 \text{ cycles/mm} \times 0.3 \text{ mm/degree} = 9.9 \text{ cycles/degree} = 20/70$$

$$50 \text{ cycles/mm} \times 0.3 \text{ mm/degree} = 15 \text{ cycles/degree} = 20/40$$

$$100 \text{ cycles/mm} \times 0.3 \text{ mm/degree} = 30 \text{ cycles/degree} = 20/20$$

Figure 3. Conversion of cycles (or line pairs) per millimeter to cycles per degree.

<b>24 D</b> <b>line pairs</b> <b>mm</b>	<b>20 D</b> <b>line pairs</b> <b>mm</b>	<b>cycles</b> <b>degree</b>	<b>Snellen</b> <b>Acuity</b>
10	8.3	2.5	20/400
20	17	5.0	20/200
30	25	7.5	20/100
65	58	17.5	20/40
90	75	22.5	20/30
120	100	30	20/20
180	150	45	20/15
240	200	60	20/10

**FIGURE 3. RESOLUTION CONVERSION FACTORS  
FOR THE EYE MODEL (with water)**

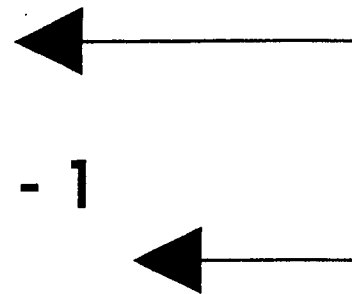
## PROPOSED STANDARD \*\*\*

- **GOAL** - The lens should not be the limiting factor in the patient's vision.
- **TARGET** - IOL must give "20/15" Snellen Acuity or better in Water.
- **Translation Example** - 20.0 D IOL

"20/15" = 150 lp/mm

\*\*\* 48 % RE = 160 lp/mm = 4 - 1

40 % RE = 143 lp/mm = 3 - 6



## APPENDIX A

### RELATIONSHIP BETWEEN SNELLEN ACUITY AND RESOLUTION EFFICIENCY (RE)

The line width and space between letter features on the Snellen eye chart (for example the letter 'E') on the 20/20 line are about 0.0625 inches. This dimension subtends about one (1) minute of arc at twenty (20) feet, as shown in Figure 1.

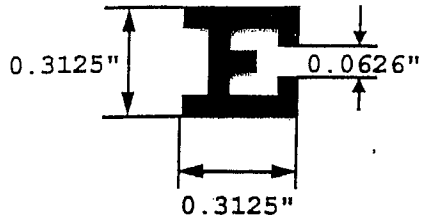
Figure 2 graphs the relation between Snellen Acuity (or visual angle) and spatial frequency.

One cycle (or line pair) is equal to a line width plus an equal size space which is 0.125 inches or two (2) minutes of arc at twenty (20) feet.

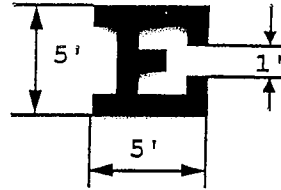
$$1 \text{ cycle} / 2 \text{ minutes} = 0.5 \text{ cycles} / \text{minute}$$

$$\begin{aligned} &\text{and since } 60 \text{ minutes} = 1 \text{ degree,} \\ &0.5 \text{ cycles} \times (60 \text{ minutes/degree})/\text{minute} \\ &= \mathbf{30 \text{ cycles} / \text{degree}} = \mathbf{"20/20"}. \end{aligned}$$

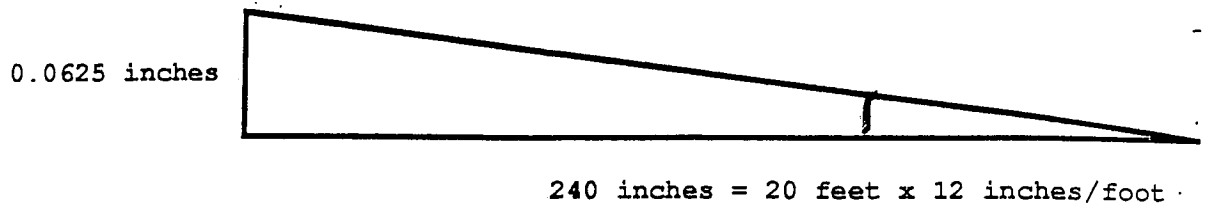
Figure 3 shows how to convert cycles (or line pairs)/mm to cycles/degree for a given focal length eye.



Snellen 'E' on 20/20 line  
physical dimensions.



Snellen 'E' on 20/20 line angular  
dimension as measured from 20 feet.



$$1/\sin (0.0625/240) = 0.015 \text{ degrees} = 0.9 \text{ minutes of arc (about } \dot{\bar{i}})$$

**FIGURE 1. CONVERSION OF SNELLEN  
ACUITY (at 20/20) TO VISUAL ANGLE  
(minutes of arc)**

## APPENDIX B

### RELATIONSHIP BETWEEN RESOLUTION EFFICIENCY AND USAF TARGET ELEMENTS

$$\% \text{ RE} = \frac{100 \times \text{RP}_{\text{measured}}}{\text{RP}_{\text{theory}}}$$

$$\text{RP}_{\text{measured}} = \frac{\text{Target Spacing} \times \text{FL}}{\text{fl}} \quad [\text{line pairs/millimeter}]$$

$$\text{RP}_{\text{theory}} = \frac{n \, d}{\lambda \, \text{fl}} \quad [\text{line pairs/millimeter}]$$

where:

FL = focal length of the collimator  
fl = focal length of the IOL  
n = refractive index of the medium (air / water)  
d = pupil diameter (3 mm)  
 $\lambda$  = 555 nm wavelength of light

Therefore % RE is independent of the optical power (or focal length) of the IOL as shown below.

$$\% \text{ RE} = \frac{100 \times \text{Target Spacing} \times \text{FL}}{(n \, d / \lambda)}$$

Consequentially, since FL, n, d, and  $\lambda$  are all fixed for the BFL bench, % RE varies only with target spacing, for example:

$$40 \% \text{ RE} = 3 - 6$$

$$48 \% \text{ RE} = 4 - 1$$

$$60 \% \text{ RE} = 4 - 3$$

$$67 \% \text{ RE} = 4 - 4$$

$$75 \% \text{ RE} = 4 - 5.$$